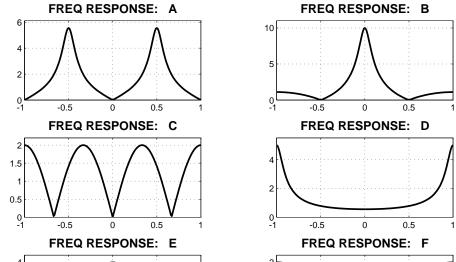
## PROBLEM:



For each of the frequency response plots (A, B, C, D, E, F), determine which one of the following systems (specified by either an H(z), a difference equation, or a MATLAB statement) matches the frequency response (magnitude only). There is only ONE correct match per graph. NOTE: The discrete-time frequency axis is **normalized**; it is  $\hat{\omega}/\pi$ .

$$S_1$$
:  $y[n] = -0.8y[n-1] + x[n]$ 

$$S_5$$
:  $H(z) = 1 + 0.64z^{-2}$ 

FREQUENCY (ω̂/π)

$$S_2$$
: H=freqz([1,0,1],[1,0,0.64],omega)

$$S_6: H(z) = \frac{1 - z^{-2}}{1 + 0.64z^{-2}}$$

$$S_3: \quad H(z) = \sum_{k=0}^3 z^{-k}$$

$$S_7: \quad y[n] = x[n] - x[n-1]$$

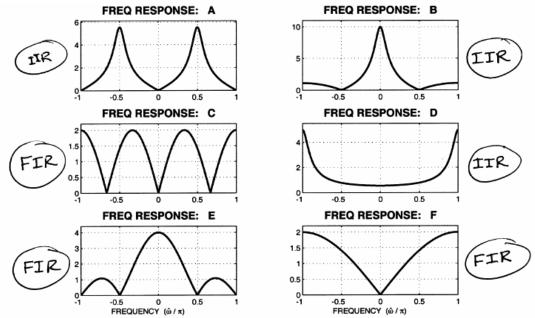
$$S_4: H(z) = \frac{1+z^{-2}}{1-0.8z^{-1}}$$

$$S_8: H(z) = 1 - z^{-3}$$

Mark your answer in the following table:

FREQUENCY RESPONSE	SYSTEM $(S_{\#})$	FREQUENCY RESPONSE	SYSTEM $(S_{\#})$
A		В	
С		D	
Е		F	





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$$S_{1}: \quad y[n] = -0.8y[n-1] + x[n]$$

$$H_{1}(z) = \frac{1}{1 + 0.8z^{-1}}$$

$$S_{2}: \quad H=\text{freqz}([1,0,1],[1,0,0.64],\text{omega})$$

$$S_{3}: \quad H(z) = \sum_{k=0}^{3} z^{-k} = \frac{1 - z^{-4}}{1 - z^{-1}}$$

$$Z=-1,\pm j$$

Mark your answer in the following table:  $H_2(z) = \frac{1+z^{-2}}{1+0.64z^{-2}}$  zeros at  $z=\pm j$ 

FREQUENCY RESPONSE	SYSTEM $(S_{\#})$	FREQUENCY RESPONSE	SYSTEM $(S_{\#})$
A	56 6	В	S <sub>4</sub> 4
C	S <sub>8</sub> 8	D	5i 1
E	S <sub>2</sub> 3	F	$S_7$ 7
1			

DC values: 
$$S_1$$
 is  $\frac{1}{1.8} \approx .6$   $S_3$  is 4  $S_5$  is 1.64  
 $S_2$  is  $\frac{2}{1.64} \approx 1.25$   $S_4$  is  $\frac{2}{.2} = 10$   $S_6$ ,  $S_7$ ,  $S_8$  are 0 at  $\hat{\omega} = 0$  at  $\hat{\omega} = \pi$ ,  $S_1$  is  $\frac{1}{1-.8} = \frac{1}{.2} = 5$